

Best Practice #1



AusVELS 9.0-

- Students will be able to use Pythagoras' Theorem to calculate the length of the hypotenuse
- Students will be able to use Pythagoras' Theorem to calculate the length of a side other than the hypotenuse

	Pythagoras Pythagoras is used to solve right angle triangles. Pythagoras theorem is: c² = b² + a² Note: The legs of the triangle are called a and b and these can be	C is always across from the right angle symbol and the longest side.
	any side (except of course the longest side) of the triangle	The right angle symbol
	C is always across from the right angle symbol and the longest side.	i.e. 90 degrees
Task:	Find the length of the hypotenuse.	8m X 14m
Step 1:	Label the sides of the triangle. C – Is the letter given to represent the hypotenuse	We know that X is the hypotenuse because it is opposite the right angle symbol. Therefore X is represented by the letter C. 8m A 12m B
Step 2:	Substitute the known values into the standard Pythagoras formula.	Let a= 8m and b= 14 $c^2 = 12^2 + 8^2$



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Step 3: Step 4:	Write in factor form and simplify We have determined that $c^2 = 260$	$c^{2} = 12x12 + 8x8$ $c^{2} = 12x12 + 8x8$ $c^{2} = 144 + 64$ $c^{2} = 208$ $c^{2} = 208$
	We want C not C ² . To get c ² =c we need to apply the square root. What we do on one side we must also do on the other side	$\sqrt{-c^2} = \sqrt{208}$ C= 14.4m
Task	Task: Find the length of the short side. When finding the short side use the short side formula; $a^2 = c^2 - b^2$	17m X
Step 1:	ALWAYS label the unknown side as A	C 17m X A
Step 2:	Substitute the known values into the SHORT SIDE FORMULA	Let c= 17 and let b =15m $a^2 = c^2 - b^2$ $a^2 = 17^2 - 15^2$
Step 3:	Expand the known values to factor form then simplify	$a^2 = 17x \ 17 - 15 \ x \ 15$ $a^2 = 289 - 225$
Step 4:	Now subtract the values	$a^2 = 64$
Step 5:	Apply square root to both sides to find a.	$\sqrt{a^2} = \sqrt{64}$ $\sqrt{a^2} = \sqrt{64}$ $a = 8$



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